



# Intrinsic Gravitation As A Universal Structural Constraint In Biophysical Framework To Plant Systems And Agriculture

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## Abstract

Within biophysical framework, plant growth and yield formation are traditionally explained through biochemical regulation, gene expression, and metabolic allocation. However, these processes operate within an unavoidable physical boundary condition: accumulated biological mass must be stabilized under persistent gravitational loading within confined architectures such as cell walls, seed coats, vascular bundles, and canopy–soil interfaces.

This manuscript reformulates intrinsic gravitation as a structural constraint rather than a force competing with metabolism. Intrinsic gravitation refers to mass-dependent internal loading that arises as biomass accumulates within bounded plant structures. Extrinsic gravitation denotes the persistent Earth gravitational field that establishes vertical reference and hydrostatic baseline.

Conceptual continuity is drawn from stellar hydrostatic equilibrium and geophysical isostatic balance as archetypes of mass–pressure stabilization. A compact balance framework unifies hydrostatic, osmotic, elastic, and active stresses in negotiating gravitational loading.

The framework is applied across plant phenomena: cellular densification preceding expansion; seed germination as confinement-threshold release; vascular transport as a pressure–mass continuum; root–shoot allocation as compensatory stabilization; stand density and self-thinning as mass–stability scaling; pressure-state modulation of plasmodesmata and sieve tubes; rhythmic growth as mass–pressure oscillation; yield-component compensation; and age-dependent decline in relative growth rate.

By repositioning gravity as a structural boundary condition rather than an energetic driver, this work proposes architectural continuity across astrophysical accretion, geophysical stabilization, and plant structural scaling.

## Keywords

Intrinsic gravitation; agriculture; hydrostatic equilibrium; osmotic–elastic coupling; turgor mechanics; seed germination; phloem pressure–flow; xylem hydraulics; plant allometry; metabolic scaling; stand density; self-thinning; yield compensation; mechanobiology; mass–stability scaling.

## 1. Introduction

Plant biology is richly developed in the language of hormones, enzymes, genes, signalling cascades, and source–sink regulation. Yet many recurring patterns in plant form, scaling, and performance cannot be fully reduced to chemistry alone. They are deeply architectural. Plants operate as hydraulic columns, elastic structures, and distributed transport networks within a persistent gravitational field. Biochemical processes do not occur in free space but within mass-bearing architectures that must remain mechanically and hydraulically coherent. These architectural conditions are not optional. They impose physical constraints within which biochemical processes must operate. Metabolism does not occur in free space; it is expended inside mass-bearing structures that must remain mechanically and hydraulically stable.

This manuscript introduces intrinsic gravitation as a unifying framework to describe these constraints. The term is used in a precise and restricted sense. Intrinsic gravitation is defined here as mass-dependent internal loading that emerges when biological material accumulates within confined domains. Extrinsic gravitation is the persistent Earth gravitational field that establishes vertical hydrostatic reference. Together, they define gravitational constraint.

Once confined within structural boundaries such as cell walls, seed coats, vascular bundles, and canopy–soil interfaces—biological materials must be stabilized under persistent gravitational field. Stabilization requires the generation and maintenance of hydrostatic pressure gradients, osmotic differentials, elastic stresses, and active compensatory redistribution.

In this framing, gravity functions as a universal structural boundary condition. It does not compete with metabolism; it defines the background loading under which metabolism must allocate energy.

Viewing plant systems through this lens connects phenomena often treated separately:

- Why cellular densification precedes expansion
- Why seed germination requires threshold rupture under confinement
- Why phloem transport depends on coherent pressure gradients over long distances
- Why root–shoot allocation behaves compensatory
- Why stand density and spacing follow predictable scaling laws
- Why yield components trade off under increasing biomass

These patterns can be interpreted as expressions of mass–stability negotiation in a gravitational field. The manuscript proceeds by establishing physical archetypes—stellar hydrostatic equilibrium and isostatic balance—as conceptual precedents for mass–pressure stabilization. It then develops a compact mathematical scaffold for biological systems and applies it to plant growth, transport, scaling, and yield formation. Throughout, the aim is not to replace biochemical explanations, but to embed them within a broader architectural constraint framework that may generate testable predictions across scales.

## 2. Conceptual Origin: Astrophysics and Earth Science as Constraint Archetypes

### 2.1 Stellar Hydrostatic Equilibrium

In stars, accumulated mass generates inward gravitational acceleration. Mechanical stability requires that an opposing pressure gradient balance gravitational compression. In continuum form, this equilibrium is expressed as:  $\nabla P = -\rho g$ ; where,  $\nabla P$  = spatial gradient of hydrostatic pressure,  $\rho$  = local mass density,  $g$  = gravitational acceleration vector.

Under spherical symmetry, with radial coordinate  $r$  and enclosed mass  $M(r)$ , the equation reduces to  $r \frac{dP}{dr} = -GM(r)\rho(r) / r^2$  (Chandrasekhar, 1939; Kippenhahn & Weigert, 1990).

The negative sign indicates that pressure decreases outward; deeper layers must sustain the load of overlying mass. This relation is not merely astrophysical bookkeeping—it encodes a universal structural principle: Layered mass accumulation requires gradient stabilization. The star is thus a self-organized pressure-stabilized mass column under gravitational loading.

**2.2 Kelvin–Helmholtz Contraction as Archetype of Mass–Gradient Coupling** Prior to sustained nuclear fusion, proto-stars increase in temperature as they contract under gravity. Gravitational potential energy is converted into internal energy—a process known as Kelvin–Helmholtz contraction mechanism (Hansen, Kawaler & Trimble, 2004). The relevance for plant science is conceptual rather than energetic: When mass accumulates inside a bounded domain, coupled gradients emerge under pressure gradients, density gradients, temperature gradients, transport gradients. These must be stabilized. In stars, the driver is gravitational contraction. In plants, the driver is metabolic chemistry. But in both systems. This continuity legitimizes the constraint-based interpretation of plant architecture.

### 2.3 Earth Science: Isostatic Balance and Compensatory Redistribution

In geophysics, isostasy describes how lithospheric plates adjust to loading (Airy, 1855; Pratt, 1855; Turcotte & Schubert, 2014). Added mass causes subsidence and removal causes uplift. The Earth redistributes mass to re-establish mechanical equilibrium. This is a constraint response. The architectural biological parallel is drawn; Increased canopy mass requires deeper root anchorage; Fruit loading induces stem thickening; Yield components compensate under sink limitation; Root–shoot ratios shift under mechanical or hydraulic stress. These are isostatic-like adjustments in living architecture which will be discussed subsequently. Thus, the Earth provides a second archetype, say, **Mass addition** → **compensatory redistribution** → **renewed stability**.

The energetic mechanisms in biological systems differ fundamentally from astrophysical and geophysical systems, but architectural archetypes of mass–gradient stabilization remains parallelly same in plant system.

### 2.4 Plant Gradient Model Inspired by Astrochemical Accretion

Astronomers believe that astrochemistry is the origin of biochemistry. The molecular complexity originates in interstellar environments (Herbst & van Dishoeck, 2009; Tielens, 2013). Interstellar clouds contain  $H^-$  anions, C-, N-, O-bearing molecules,  $H_2O$  and polycyclic aromatic hydrocarbons. Gravitational clustering drives accretion and stratification prior to star formation. Stellar accretion systems exhibit various phenomena like radial density gradients; transport gradients; layered differentiation. Such model of astrochemical accretion in space is being deployed here to understand plant gradient model. Analogy between stellar accretion gradients and plant developmental gradients has been developed. Density and transport gradients emerge from seed core outward, reflecting mass–constraint stabilization (Figure 1).

#### 2.4.1 Architectural gradient model of plant accretion mass

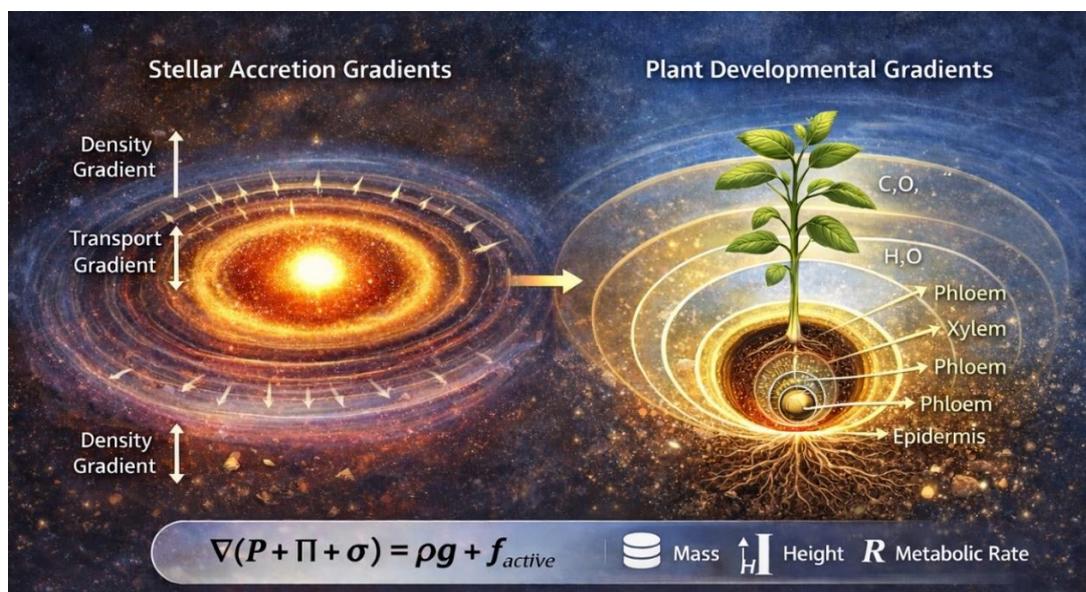


Figure 1. Stellar accretion system showing density and transport gradients emerging from gravitational clustering (Left). Plant developmental gradient showing seed-centered mass accumulation and outward differentiation into vascular and structural tissues (right). Here,  $\nabla$  denotes the spatial gradient operator (rate of change per unit length). The symbol  $d$  represents an infinitesimal change, and  $dr$  denotes an infinitesimal radial displacement from the center of symmetry. Thus,  $dP/dr$  describes how pressure changes with radial distance. In spherical symmetry, the full vector equation  $\nabla P = -\rho g$  reduces to its radial form, expressing how deeper layers must sustain the weight of overlying mass. Such analogy highlights a shared structural principle: mass accumulation under confinement generates gradients that must be stabilized through transport and mechanical architecture.

Stellar accretion system shows density and transport gradients emerging from gravitational clustering. In parallel way, plant developmental gradient show seed-centered mass accumulation and outward differentiation into vascular and structural tissues. In vertical plant systems, the gravitational hydrostatic relation simplifies to  $\Delta P = \rho g h$ , where  $h$  represents height. Thus, apparently, pressure gradients in plants are primarily height-dependent rather than radially symmetric as in stars.

## 2.5 Biology as Soft Condensed Matter Under Persistent Body Force

Biological systems do not behave as rigid Newtonian solids nor as ideal fluids. Cells, tissues, and plant organs belong to the domain of soft condensed matter, characterized by: viscoelastic response, shear-dependent viscosity, metastability, weak intermolecular interactions, high internal degrees of freedom, thermal fluctuation sensitivity, and nonlinear response near mechanical or chemical thresholds. In such systems, even weak but persistent body forces may bias organization over long-time scales. Gravity, unlike stochastic thermal fluctuations, acts: continuously, directionally, and without cancellation. Its energetic magnitude at cellular scale may be small, but its geometric persistence makes it a permanent background constraint. This distinction is central to the present framework.

In continuum mechanics, mechanical equilibrium under gravity is expressed as:

$$\nabla \cdot \sigma + \rho g = 0$$

where:  $\sigma$  = total stress tensor;  $\rho$  = local mass density;  $g$  = gravitational acceleration vector.

For a purely fluid system, this reduces to hydrostatic equilibrium:  $\nabla P = \rho g$ . In one-dimensional vertical form:  $\frac{dz}{dP} = -\rho g$ . This equation governs: stars, planetary interiors, oceans, also plant columns.

In plant tissues, stress is not purely hydrostatic. The total internal mechanical state includes: hydrostatic pressure  $P$ ; osmotic pressure  $\Pi$ ; elastic wall stress  $\sigma_e$ . active metabolic force density *factive*. Thus, the generalized equilibrium becomes:  $\nabla(P + \Pi + \sigma_e) = \rho g + \text{factive}$ . This equation states that growth, transport, and structural stability arise from balancing mass-derived loading ( $\rho g$ ) with osmotic, elastic, and active biochemical stresses.

In rigid systems, small body forces are negligible. In soft systems near yielding thresholds, the small persistent forces can bias direction of expansion, alter symmetry breaking, shift metastable equilibria, or influence gradient stabilization. The key insight is that gravity needs to define the baseline field against which other forces negotiate.

At organ scale or whole-plant scale, cumulative gravitational loading determines vascular pressure gradients, structural reinforcement, height limitations, scaling laws. This distinction between energetic insignificance at micro-scale and architectural relevance at macro-scale must be maintained.

## 2.6 Plant mass accumulation under gravitational constraint

### 2.6.1 Mass accumulation under gravitational constraint

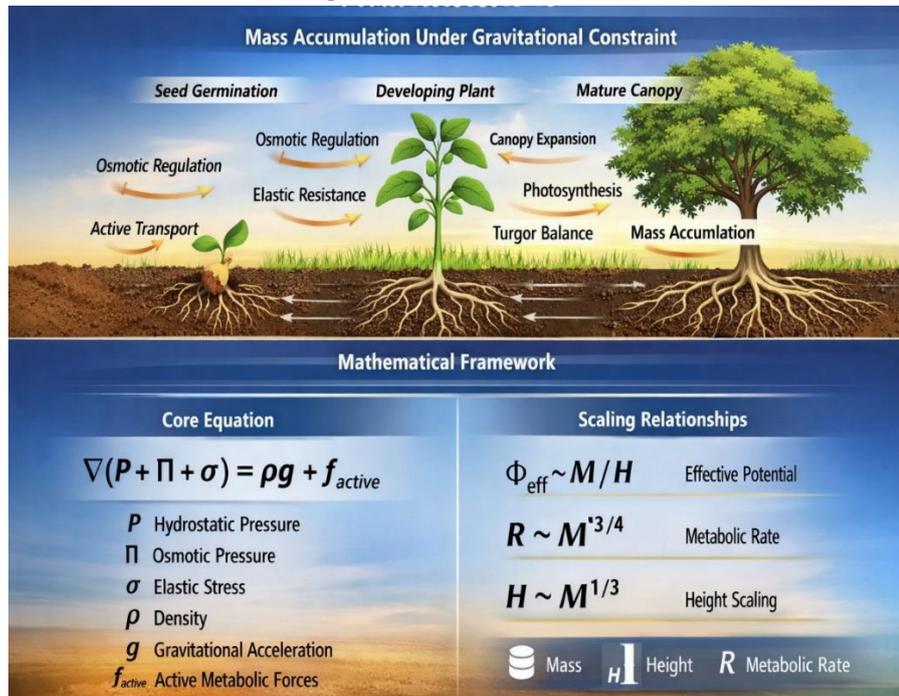


Figure 2. Mass accumulation under gravitational constraint generates pressure gradients stabilized through osmotic regulation, elastic resistance, and active transport. Plant growth from seed to canopy reflects negotiation of gravitational loading. The mathematical framework of the core equation:  $\nabla(P + \Pi + \sigma) = \rho g + f_{\text{active}}$ , where,  $P$  = hydrostatic pressure;  $\Pi$  = osmotic pressure;  $\sigma$  = elastic stress;  $\rho$  = density;  $g$  = gravitational acceleration;  $f_{\text{active}}$  = active metabolic forces;  $\Phi_{\text{eff}}$  = effective potential; and  $M$  = mass;  $H$  = height;  $R$  = metabolic rate.

Plant tissues are however, not governed by stellar hydrostatic equilibrium, but they do obey force balance. For many plant problems, the relevant pressure-like quantity is generalized pressure: hydrostatic pressure  $P$  (turgor/hydraulics), osmotic pressure  $\Pi$  (solute-driven), and elastic stress  $\sigma$  (cell wall, tissue mechanics). A compact balance statement is:

$$\nabla(P + \Pi + \sigma) = \rho g + f_{\text{active}}$$

where  $\rho g$  represents the gravitational body force and  $f_{\text{active}}$  represents active contributions (pumps, transporters, cytoskeletal remodeling, growth anisotropy). A complementary effective-potential form is:  $\nabla P = -\rho \nabla \Phi_{\text{eff}}$ ; where  $\Phi_{\text{eff}}$  is an effective potential capturing the combined influences relevant at the scale of interest (gravity, osmotic potential, elastic energy density, thermal effects, and active stresses). This scaffold keeps mathematics small but principled: it explains why accumulation of mass through metabolic engine form gradients under gravitational constraints (figure 2).

## 3. Pressure-Stabilized Plant Signalling Under Gravitational Constraint

Plant signalling does not occur in an abstract biochemical space; it operates within a confined, pressure-regulated mass–transport architecture that is continuously stabilized under persistent extrinsic gravity. As tissues accumulate mass, density and turgor gradients emerge, requiring coordinated redistribution to maintain structural and transport coherence. Within this framework, signalling efficiency reflects not only molecular specificity but also the mechanical and hydraulic state of the cellular domain. Plant signalling operates within confined cellular domains where mass loading alters pressure state, turgor distribution, and conduit geometry. Metal cofactors such as  $\text{Zn}^{2+}$  and  $\text{Mg}^{2+}$  enhance catalytic stability. Transport efficiency depends on mechanical and hydraulic coherence. while plasmodesmatal aperture and phloem conduit geometry respond dynamically to local pressure conditions (Figure 3). Thus, plant signalling can be interpreted as a pressure-stabilized mass–transport process embedded within a broader

intrinsic–extrinsic gravitational constraint environment, where mass loading, hydrostatic gradients, and structural confinement jointly regulate trafficking fidelity and long-distance communication.

### 3.1 Pressure-Stabilized Plant Signalling Under Mass Constraint.

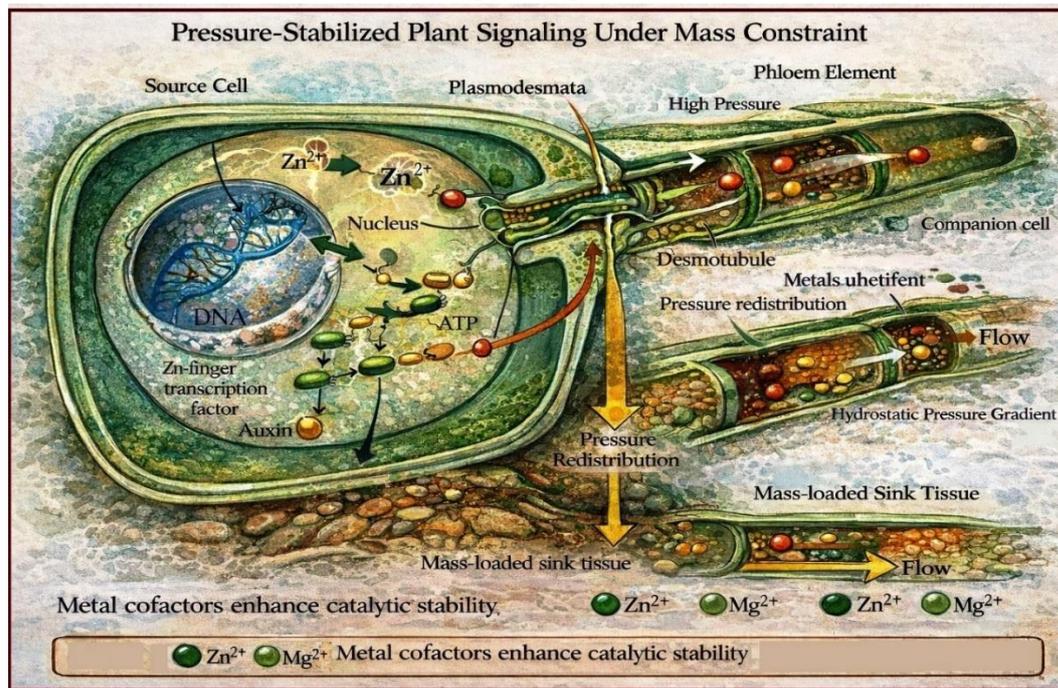


Figure 3. Semi-realistic schematic illustrating how plant signalling operates within a pressure-regulated mass-transport continuum. In the source cell (left), metal cofactors such as  $Zn^{2+}$  and  $Mg^{2+}$  stabilize transcription factors, enzymes, and ATP-dependent signalling pathways, supporting hormone synthesis (e.g., auxin) and molecular activation. Signalling molecules move symplastically through plasmodesmata, whose effective aperture reflects local pressure state and mechanical confinement. In the phloem element (right), hydrostatic pressure gradients drive long-distance transport toward mass-loaded sink tissues. Redistribution of turgor and confined pressure modulates conduit geometry and flow stability. The figure emphasizes that metal cofactors enhance catalytic stability and coordination within bounded cellular domains, while mass loading and pressure redistribution regulate trafficking efficiency under the intrinsic–extrinsic gravity constraint framework.

## 4. Vascular Transport as a Pressure–Mass Continuum

Plant vascular transport is commonly presented as a hydraulic and biochemical problem, but it can also be interpreted as an architectural stabilization problem in which pressure gradients, transport resistance, and structural reinforcement must remain coherent as biomass accumulates in a persistent gravitational field. In this constraint view, vascular tissues represent the infrastructure through which plants negotiate mass redistribution from acquisition zones (roots), to capture zones (canopy), to deposition zones (seeds, fruits, storage organs). Transport is therefore inseparable from stability: the plant must maintain functional gradients while simultaneously reinforcing the structure that carries the transported mass. Gravity establishes hydrostatic baseline against which cohesion–tension operates

### 4.1 Xylem: Gravity sets Vertical Reference

Xylem transport occurs in the vertical direction in a gravitational field, and gravity establishes the baseline reference against which water potential gradients operate. Even when the cohesion–tension mechanism is adopted as the physical explanation for ascent of sap (Dixon & Joly, 1894; Tyree & Zimmermann, 2002), tall plants necessarily face a larger gravitational component simply because height increases the hydrostatic requirement and steepens the gradient that must be maintained. This does not mean gravity “drives” ascent; it means gravity defines the minimum vertical reference that hydraulic architecture must accommodate (Nobel, 2009).

As height and biomass increase, the plant's hydraulic design must negotiate conductivity, safety, and continuity. Taller structures commonly require shifts in conduit dimensions, redundancy, and wood formation to reduce catastrophic failure risk while sustaining transpiration fluxes (Tyree & Zimmermann, 2002; McCulloh et al., 2003). These hydraulic demands feed forward into stomatal regulation, leaf area expansion, and allocation to support tissues, linking transport with canopy architecture and mechanical stabilization. Such coupling becomes prominent in tall trees where hydraulic limitation and carbon allocation constraints are strongly expressed (Ryan & Yoder, 1997; Koch et al., 2004). Under the intrinsic-gravitation constraint framing, xylem is therefore treated as a height-indexed stabilization network: increasing mass and height require increasing investment in hydraulic coherence and mechanical safety, because the organism must remain structurally stable under persistent gravitational loading.

#### 4.2 Phloem: Pressure gradients must remain coherent under mass loading

Phloem transport is classically explained by the pressure-flow hypothesis in which osmotic loading at sources raises pressure and unloading at sinks reduces it, producing bulk flow along sieve elements (Münch, 1930). This classical account becomes especially compatible with a constraint framing because it is inherently a gradient-stabilization model: the plant must maintain coherent pressure differences across long distances despite changing viscosity, variable sink demand, and pathway resistance. Source–sink physiology emphasizes that transport is not merely the movement of solute, but the maintenance of a dynamic coupling between production and deposition under fluctuating demands (Wardlaw, 1990; Patrick, 2013).

From the mass–stability perspective, phloem is a **pressure–mass continuum**: it connects regions of mass production to regions of mass deposition while preserving gradient coherence under changing loading. Transport “success” therefore depends on whether the pathway can preserve a stable pressure configuration under variable geometry, resistance, and unloading intensity. This becomes critical in high sink-load situations such as grain filling or fruit enlargement where the plant must redistribute assimilate mass without destabilizing transport gradients or structural integrity (Patrick, 2013).

#### 4.3 Phloem Transport as a Pressure–Mass Continuum

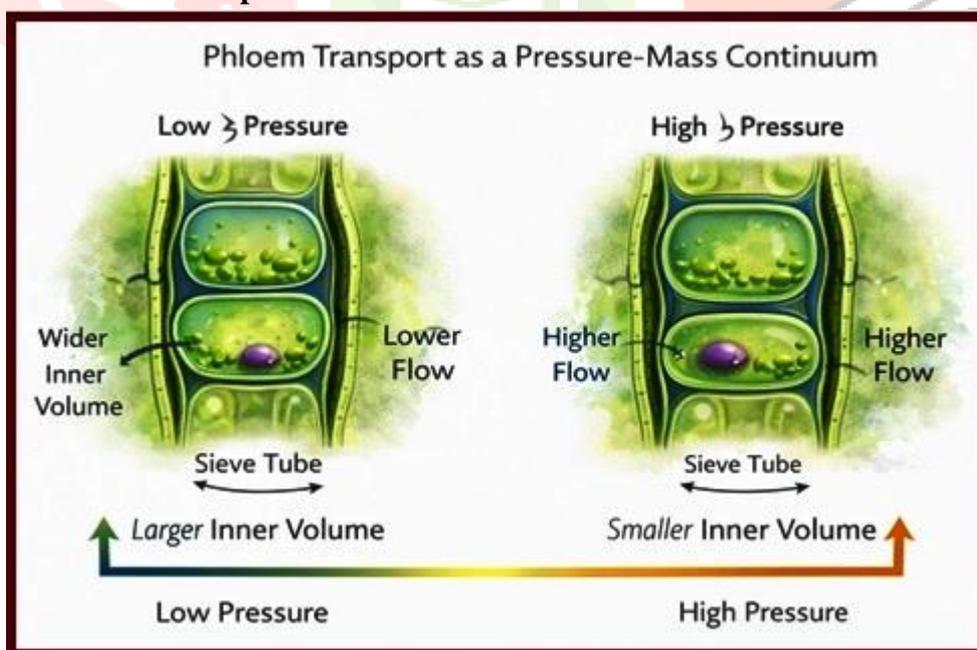


Figure 4. *Phloem transport as a pressure–mass continuum. Mass loading at source tissues elevates  $\Pi$  and  $P$ , generating a pressure gradient along sieve tubes; unloading at sinks reduces pressure. Transport stability depends on maintaining coherent gradients under changing mass demands and pathway resistances. Under the intrinsic–extrinsic gravity framework: extrinsic gravity sets the hydrostatic reference. intrinsic mass accumulation drives local pressure reorganization. Phloem integrates both into a dynamic gradient-stabilization network.*

## 5. Seed Germination as a Confinement-Threshold Event

Seed germination is commonly described as a biochemical activation sequence involving imbibition, hormonal shifts, respiratory activation, and reserve mobilization (Bewley, Bradford, Hilhorst, & Nonogaki, 2013). Those processes are essential; however, germination is also a mechanical threshold phenomenon occurring within a confined architecture. Upon imbibition, seed mass and internal water content rise sharply, osmotic conditions reorganize, and internal pressure increases within the seed coat and associated confining tissues. The embryo's transition from quiescence to expansion therefore unfolds inside a bounded domain where mechanical resistance sets a threshold that must be exceeded for emergence.

Under the intrinsic-gravitation constraint framework, the central emphasis is not that gravity provides metabolic energy to initiate germination, but that as hydrated mass accumulates within a confined boundary, stabilization demands intensify until a structural transition is forced. Radicle protrusion represents that transition: a confinement-threshold release event in which internal pressure-driven expansion surpasses mechanical limits of restraining tissues and reorganizes the system from closed confinement to open growth (Bewley et al., 2013). This reframing is intended to highlight a gap area for investigation: how confinement mechanics, pressure buildup, and tissue yielding thresholds interact with biochemical activation to govern timing, vigour, and failure modes of germination.

### 5.1 Process involved in Seed Germination Under Gravitational Constraint

During germination of seeds: starch  $\rightarrow$  glucose  $\rightarrow$  glycolysis  $\rightarrow$  TCA  $\rightarrow$  electron transport chain and exergonic reactions release Gibbs free energy. This energy is stored as ATP and much released as heat. This heat increases molecular kinetic energy. Thus, temperature is equal to average kinetic energy of molecules. So chemical bond rearrangement leads to change in enthalpy, increased molecular motion and heat. In stars, gravity is strong enough to supply energy. In plants, chemistry supplies energy — gravity sets orientation and loading constraints. Seed germination is a confinement–threshold event in which hydrated mass accumulation generates coupled gradients in density, osmotic potential, and mechanical stress until restraining tissues yield.

#### 5.1.1 Hydrated seed during early germination showing concentric developmental and biophysical zones

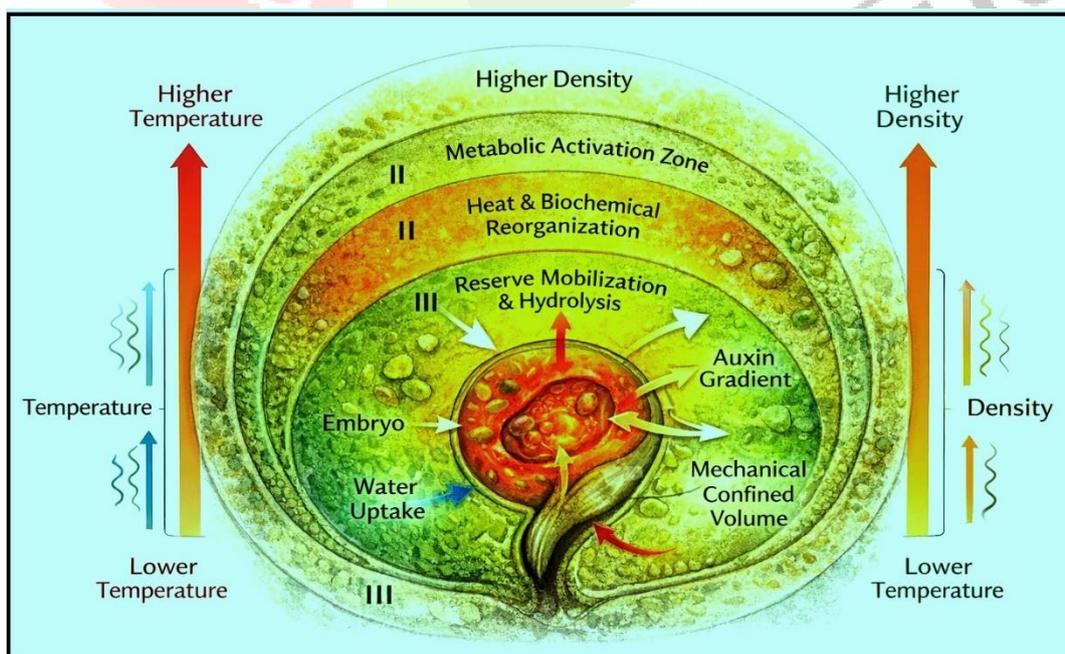


Figure 5. Schematic representation of a hydrated seed during early germination showing concentric developmental and biophysical zones. Following water uptake, internal mass increases within a mechanically confined volume defined by the seed coat and surrounding tissues. This generates coupled gradients in density, temperature, osmotic potential, and biochemical activity. **Zone I** (outer region):

*Elevated density and metabolic activation accompany progressive water imbibition. Zone II (intermediate region): Heat generation and biochemical reorganization occur as respiration increases and enzymatic pathways activate. Zone III (inner reserve region): Reserve mobilization and hydrolysis release solutes, intensifying osmotic gradients that contribute to internal pressure buildup. The embryo occupies the central domain, where auxin gradients and mechanical responses coordinate directional growth. Increasing internal pressure within the confined structure eventually exceeds the mechanical threshold of restraining tissues, enabling radicle protrusion and transition from a closed system to open growth.*

*Vertical side bars indicate increasing temperature and density gradients from outer to inner zones. The figure illustrates how mass accumulation under confinement generates stabilized gradients prior to emergence. The emphasis is on the stabilization demands imposed by increasing hydrated mass within a bounded architecture operating under persistent gravitational reference.*

## **6. Pressure-State Modulation of Intercellular and Long-Distance Conduits Under Mass Loading**

A persistent gap in plant physiology is the physical basis of dynamic narrowing and dilation in intercellular and long-distance transport pathways—especially plasmodesmata and the phloem sieve-tube system—during development, stress, and source–sink transitions. Plant science typically explains trafficking control via callose deposition, cytoskeletal remodeling, viral movement proteins, calcium signalling, ROS, and other molecular regulators. These mechanisms are real and experimentally tractable. Yet they often describe *how* a conduit is gated without fully explaining *why the system repeatedly needs geometric gating* at specific times and locations across many contexts.

Within the intrinsic–extrinsic gravity constraint framework, the plant body is treated as a confined, deformable mass that must remain mechanically and hydraulically stable under Earth’s gravitational field while continuously redistributing internal mass (water, solutes, assimilates, proteins, RNAs). “Intrinsic gravitation” here is used as shorthand for the mass-dependent internal loading and compression tendency that arises once tissues accumulate material within bounded architectures (cell wall compartments, sieve-tube lumen, plasmodesmal neck region), while “extrinsic gravitation” denotes the persistent background loading imposed by Earth that sets vertical reference and contributes to hydrostatic gradients and mechanical stabilization demands. The combined effect is that mass deposition anywhere in the transport network is not neutral: it perturbs local pressure state, wall stress, and effective conduit geometry, and therefore feeds back to transport.

Plasmodesmata are not merely pores; they are *pressure-sensitive junctions* embedded in a cell wall continuum. When tissues experience increased local loading—by solute accumulation, water influx, rapid sink development, or stress-induced osmotic adjustment—turgor redistribution can push the system toward a mechanically safer regime by reducing effective pore radius (functional narrowing), thereby limiting uncontrolled fluxes, and preventing runaway pressure imbalance between adjacent cells. Conversely, when a developmental program requires high symplastic connectivity (e.g., coordinated growth zones, unloading domains), the local pressure regime and wall mechanics may permit or promote a more open state. In this interpretation, the “gate” is not only a biochemical valve but also a stability device that helps maintain pressure coherence across a soft-matter network.

A parallel argument applies to sieve tubes and companion-cell complexes. In the classical pressure-flow picture, osmotic loading at sources raises hydrostatic pressure and unloading at sinks lowers it, producing bulk flow. The constraint framing adds a geometric implication: as mass loading increases and pressure redistributes, effective lumen diameter and sieve-plate permeability become control points that can stabilize (or destabilize) the gradient. If local deposition or sustained loading elevates confined pressure, a tendency toward functional narrowing (whether via wall mechanics, membrane–cytoskeleton coupling, callose dynamics at sieve plates, or plasmodesmal neck modulation) can damp pressure spikes and prevent damaging flow instabilities. If pressure relaxes or unloading dominates, widening can restore conductance and re-establish transport capacity. Thus, “mass balance” between sources and sinks can be reframed as pressure-state balance. Conduit geometry is a stabilizing degree of freedom in a soft-matter network under gravitational constraint.

## 6.1 Trafficking Channel Modulation Under Mass Stabilization Constraints.

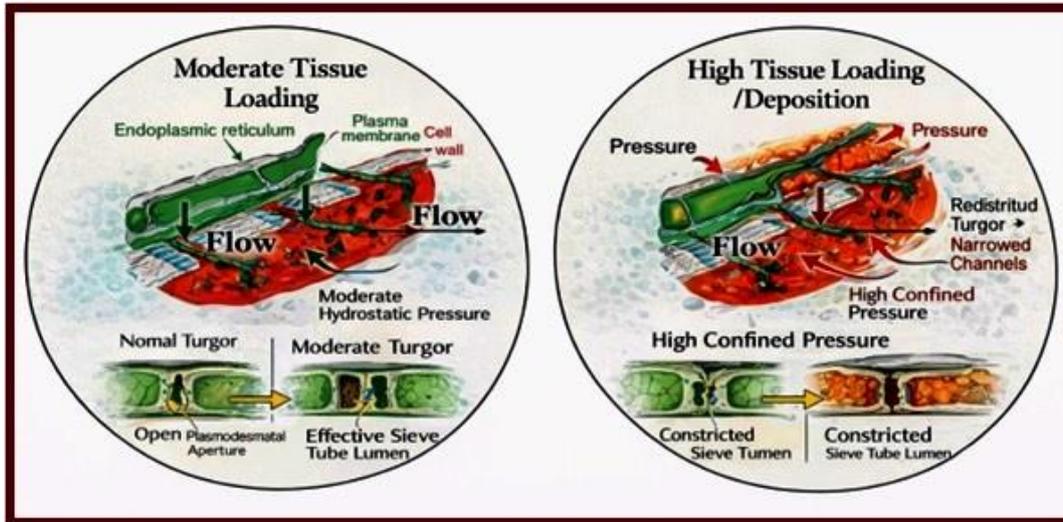


Figure 6. *Integrated schematic showing how plasmodesmata and phloem sieve-tube conduits can shift between “open” and “restricted” states as tissue mass loading and confined pressure increase. Left (moderate loading): normal turgor and moderate hydrostatic pressure support relatively open plasmodesmata (larger effective pore radius) and wider sieve-tube lumens, sustaining smooth symplastic trafficking and pressure-driven flow. Right (high loading/deposition): increased local mass deposition and confined pressure redistribute turgor, promoting constriction of plasmodesmata (reduced effective radius) and narrowing of sieve tubes, thereby increasing resistance, and throttling flow. The figure frames gating and lumen narrowing as an emergent stabilization response to mass/pressure redistribution within bounded plant tissues—consistent with the intrinsic–extrinsic gravity “constraint” view—rather than as a purely biochemical switch.*

## 7. Root–Shoot Allocation reflects Compensatory Stabilization under changing mass distribution

Root and shoot growth often show alternating periods of high activity (e.g., rapid root development followed by a spurt in vegetative shoot growth) and grow in an alternating, compensatory manner. In agriculture, the root-shoot ratio is usually given as the ratio of the weight of the roots to the weight of the top of a plant and is considered as a primary yardstick towards crop productivity, as a response to nutrients, water availability, and hormonal regulation. But in fact, it reflects compensatory stabilization demands as the plant’s mechanical loading changes or seesaw manner (Figure 7). For most trees under normal conditions, the root-shoot ratio is 1:5 to 1:6; the top is said to be 5 to 6 times heavier than the roots. The centre of a tree is based on a weight-based centre of gravity and not on botanical descriptions such as shoot and root. Allocation is not merely an economic decision; it is a stabilization requirement in a gravitational field.

The geophysical analogy is isostatic balance: added mass in one region produces compensatory redistribution to restore equilibrium (Turcotte & Schubert, 2014). Plants express analogous compensation as they maintain stability under changing mass distribution, particularly under reproductive loading or rapid canopy expansion. Mechanical centre of mass shifts as biomass redistributes, necessitating compensatory structural reinforcement.

### 7.1 Isostatic balance and root–shoot allocation

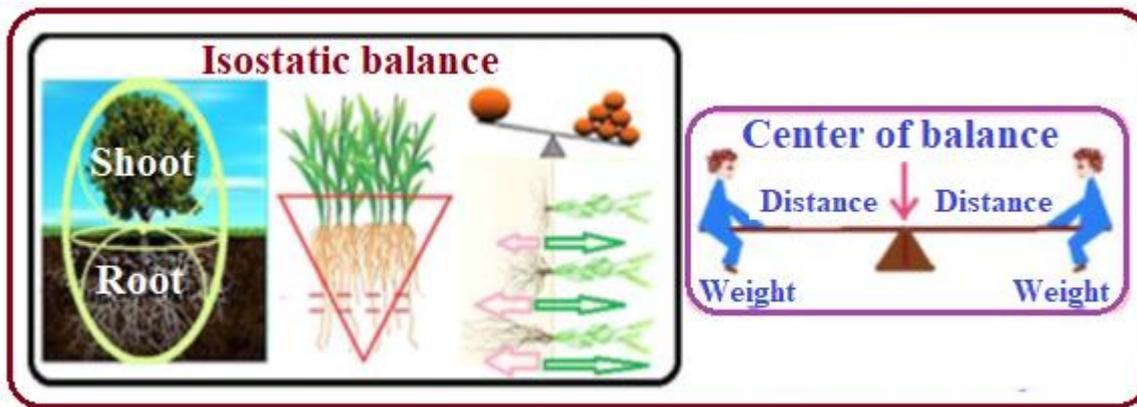


Figure 7. Root is heavier than shoot on equal volume basis. Isostatic or seasaw balance between heavier and lighter mass. Plant grows on alternating the gravitational root followed by gravitational shoot.

### 8. Rhythmic Growth as Mass–Pressure Oscillation

Plant growth frequently shows rhythmicity: oscillations in elongation rate, periodicity in root hair growth, rhythmic stomatal behavior, and diurnal expansion–contraction cycles. While biochemical clocks and ion fluxes are involved, the constraint framework highlights a mechanical interpretation: rhythmic growth can arise from repeated cycles of (i) mass/solute loading, (ii) pressure build-up under confinement, (iii) local yielding/relaxation, and (iv) re-stabilization. This is a mass–pressure oscillation in a constrained system.

Such oscillations become more intelligible when one separates the roles of drivers and constraints. Metabolism supplies the active processes (solute pumping, wall loosening proteins, cytoskeletal remodeling). Gravity and confinement shape the boundary conditions: the directionality of transport and the mechanical ‘cost’ of maintaining vertical structure. The result is a coupled relaxation oscillator that can be studied quantitatively by monitoring turgor, wall extensibility, and growth rate synchronously. Rhythmic growth emerges from cycles of solute loading, pressure build-up, yielding, and re-stabilization within a constrained system.

#### 8.1 Rhythmicity in star and plant: Retardation followed by rapid growth

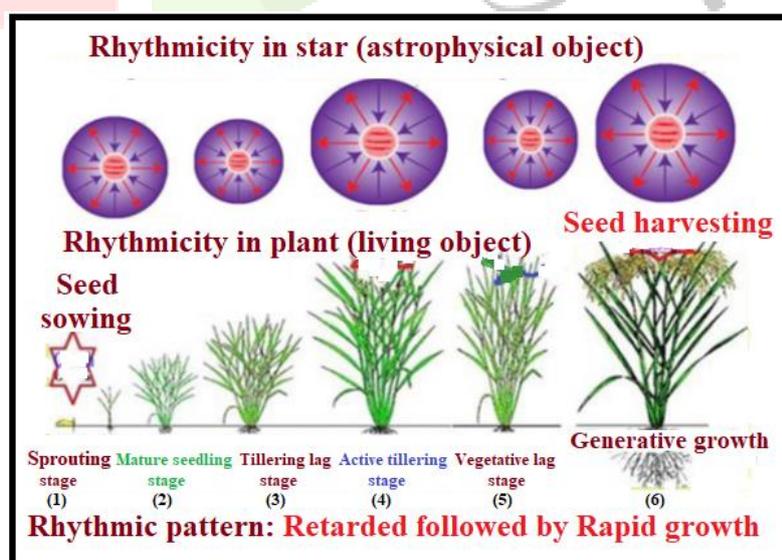


Figure 8: There is always a rhythmicity in any intrinsic gravitation object in the universe. Mass-constrained systems across scales exhibit oscillatory stabilization. Contraction is due to gravity and expansion is due to heat and internal pressure. Rapid followed by retarded growth is thus available at different stages of rice crops.

## 8.2 Plant growth oscillation and pressure cycle towards rhythmicity

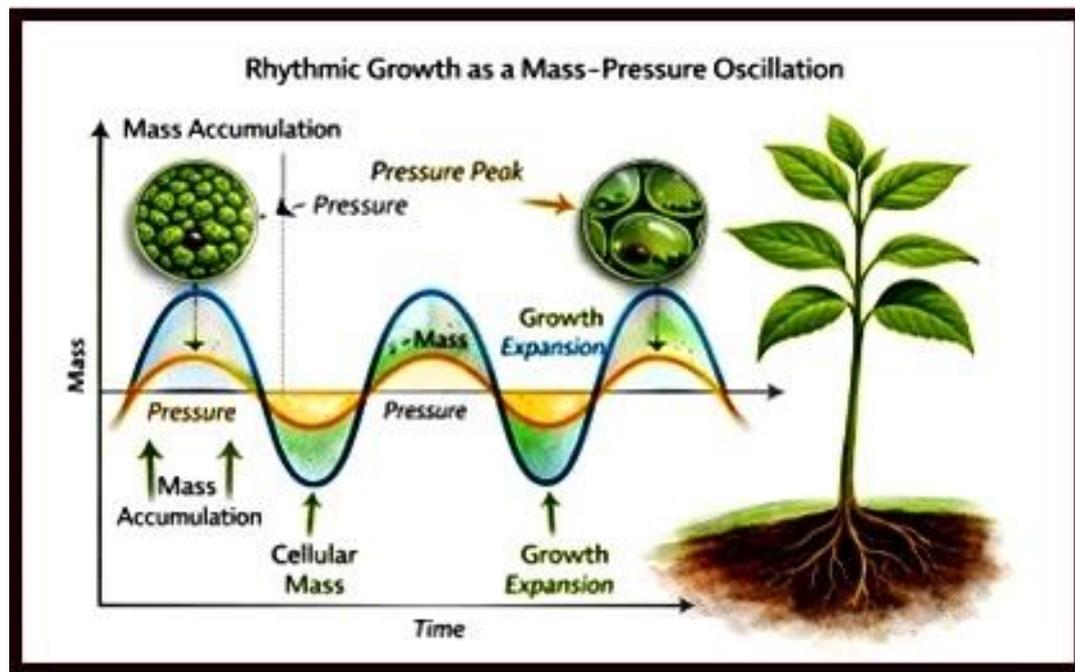


Figure 9. *Rhythmic growth as a mass–pressure oscillation. Cycles of solute loading and turgor build-up under confinement are followed by wall yielding (growth burst) and relaxation, then renewed loading. The oscillation emerges from constraint-driven thresholding rather than from biochemistry alone.*

## 9. Stand Density, Plant Spacing, and Self-Thinning as Mass–Stability Scaling

Plant spacing is usually taught as a competition problem (light, nutrients, water), and competition is real. Yet stand density also follows striking scaling laws across communities, suggesting that spacing is partly an emergent equilibrium of mass and stability. Classical ecology has long documented self-thinning trajectories in which average plant mass increases while plant density declines in systematic fashion (Yoda et al., 1963). These regularities are consistent with the idea that as plants enlarge, the mechanical footprint, anchorage requirement, canopy loading, and transport resistance increase, reducing the density that can be stably supported.

The intrinsic-gravitation constraint framing adds a second layer to the competition narrative: larger organisms require a larger stabilization radius because accumulated mass and height impose stronger mechanical and hydraulic demands under gravitational loading. Thus, spacing increases not only because plants “need more resources,” but because their mass distribution requires greater structural and transport coherence. This framing allows orchard spacing and crop spacing to be explained in a shared physical narrative: perennial tree systems represent the high-mass, low-density end of the continuum, while annual cereals represent the low-mass, high-density end.

Let us analyse more fundamental framing emerges when plant populations are examined under mass–stability constraints in a gravitational field. As individual plant mass ( $M$ ) increases, the organism must support greater vertical load, stabilize increased height ( $H$ ), maintain hydraulic transport across longer pathways, resist mechanical perturbation (wind, lodging), balance internal and external gravitational loading. Thus, spacing becomes an emergent equilibrium between: Mass accumulation  $\rightarrow$  Mechanical stabilization  $\rightarrow$  Transport capacity  $\rightarrow$  Gravitational constraint. This reframes plant density as a structural scaling phenomenon, not merely a resource competition phenomenon.

Large perennial tree (mango) builds up large root anchorage zone, large canopy stabilization footprint, high gravitational loading ( $M \times H$ ). Small annual crop (rice), on the other hand, has small stabilization radius, short hydraulic path length, lower gravitational loading per individual. The difference is not

merely agronomic practice — it reflects scaling of: gravitational loading  $\propto M \times H$ . Larger mass requires a larger mechanical footprint and hydraulic capture zone to maintain stability.

### 9.1 Self-Thinning as a Universal Scaling Law

Across plant communities, a consistent relationship emerges between: Mean individual mass ( $M$ ), Population density ( $N$ ). Empirically:  $N \propto M^{-3/2}$ . This is known as the  $-3/2$  self-thinning law. In gravitational-constraint interpretation: As  $M$  increases, structural stabilization cost increases, transport resistance increases, mechanical loading increases, maintenance respiration increases. Thus, density must decline to maintain equilibrium. Growth becomes allocation-limited rather than resource-limited. Spacing equilibrium scales with individual biomass and stabilization demand.

#### 9.1.1 Plant Spacing and Mass–Stability Constraints Under Gravitational Loading

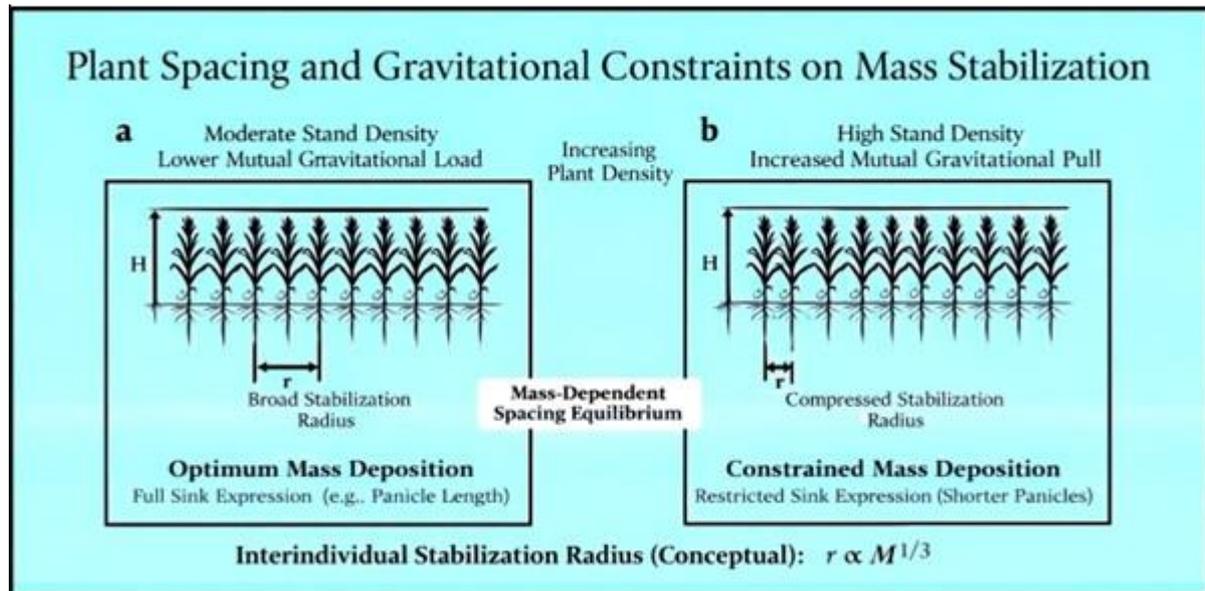


Figure 10. Conceptual illustration showing how plant spacing reflects mass-dependent stabilization requirements in a persistent gravitational field.

- Moderate stand density (adequate spacing). Individual plants maintain a broader stabilization radius ( $r$ ), allowing optimal upward development of photosynthetic and reproductive mass. Mechanical loading and transport demands remain within structural limits, permitting full sink expression (e.g., longer panicles or grain-bearing ears). Mass deposition is therefore optimized under balanced intrinsic stabilization within the extrinsic gravitational field.
- High stand density (crowded spacing). Increasing plant density compresses the effective stabilization radius of each individual. As cumulative stand mass increases, mechanical loading, transport resistance, and spatial constraints intensify. This restricts allowable mass deposition per plant, resulting in constrained sink expression (e.g., shorter panicles). The system transitions from individual stabilization dominance to collective constraint.

The central concept of mass-dependent spacing equilibrium suggests that inter-plant distance scales with individual biomass and structural stabilization demand rather than resource competition alone. Larger perennials (e.g., mango trees) require meter-scale spacing, whereas small annual crops (e.g., rice) tolerate centimetre-scale spacing, reflecting differences in total mass and mechanical footprint. The relationship is presented conceptually as an interindividual stabilization radius increasing with plant mass ( $r \propto M^{1/3}$ ), indicating that spacing equilibrium emerges from mass–structure scaling rather than purely resource limitation.

## 9.1.2 Plant spacing and self-thinning with real-world field values; mango low density vs rice high density

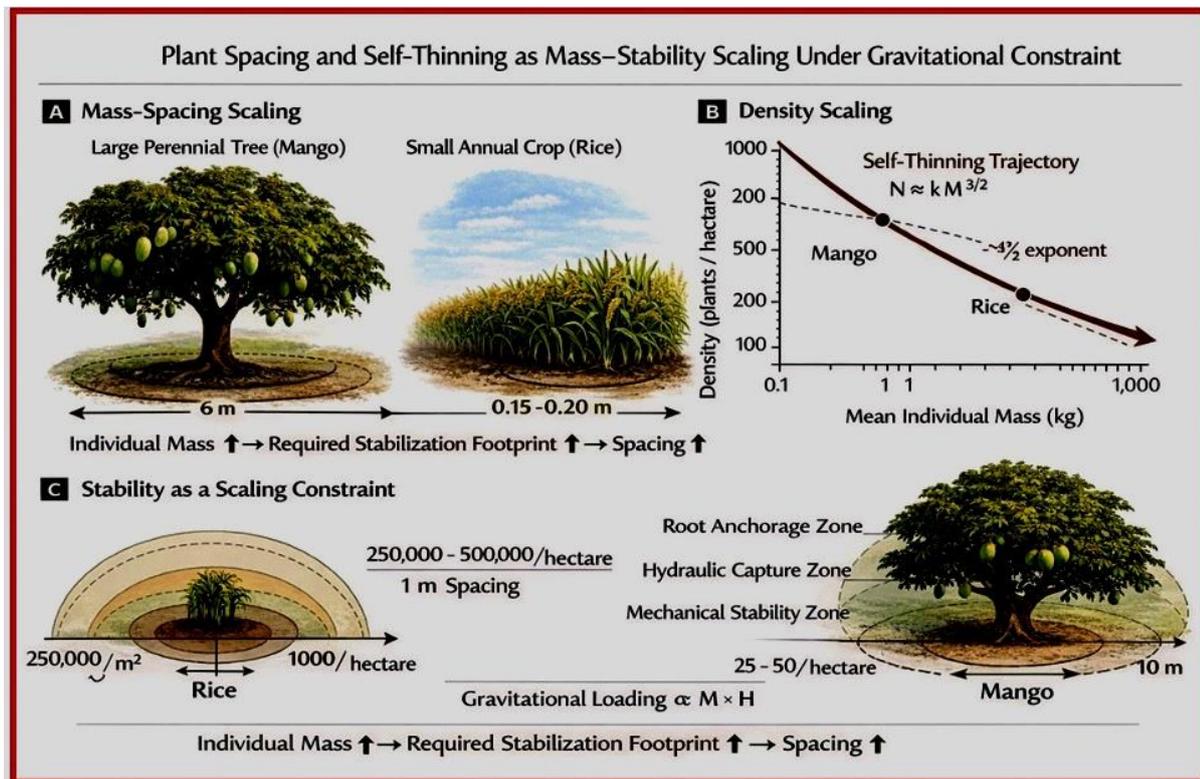


Figure 11. *Plant Spacing and Self-Thinning as Mass–Stability Scaling Under Gravitational Constraint.*

(A) Large perennial mango trees (~500–1500 kg per individual) requires wide spacing (6–10 m) to accommodate expanded root anchorage zones, canopy stabilization footprints, and increased gravitational loading ( $M \times H$ ). Stand density typically ranges from 25–100 trees per hectare.

(B) Small annual rice plants (~0.3–0.8 kg per clump) tolerates close spacing (15–20 cm), resulting in densities exceeding 200,000 plants per hectare. Reduced individual mass lowers mechanical and gravitational stabilization demands.

(C) Log-scale density–mass relationship illustrating the  $-3/2$  self-thinning trajectory. As mean individual mass increases, allowable density declines systematically.

Spacing thus emerges not merely from resource competition but from mass-dependent stability and transport constraints in a gravitational field.

### 9.2 Bridging structural biology and ecological scaling - Mathematical framing

For an individual plant: Gravitational loading:  $Fg \approx Mg$ . Mechanical moment (lodging risk):  $\tau \approx Mg \times H$ . Stability requires:  $\text{Anchorage strength} \geq MgH$ . As  $M$  and  $H$  increase, required anchorage radius ( $R$ ) increases. Spacing ( $S$ ) must scale with  $R$ . Thus:  $S \propto (MH)^\alpha$ ; with empirical  $\alpha \approx 1/3$  to  $1/2$  depending on growth form. Population density:  $N \propto S^{-2}$ . Combining:  $N \propto M^{-3/2}$ , which aligns with observed self-thinning laws. This bridges structural biology and ecological scaling.

### 9.3 Grand Evolutionary Continuity Statement

From stellar accretion to forest canopy architecture: mass accumulation under gravitational constraint necessitates structural stabilization. Stars adjust internal pressure gradients. Planets stratify by density. Plants adjust spacing and density; forests self-thin. The universal pattern is: Mass → Loading → Stabilization → Density Regulation. Thus, we can say that biological architecture negotiates gravitational constraint through density regulation. In 1988, author showed that gravity dictates life death and biological growth, also agricultural productivity (Bhattacharjee, 1988). Author showed that there is grand evolutionary continuum of mass that are parallels across stars, Earth, and human on intrinsic gravitation mechanisms (Bhattacharjee 2025). Latest, we have dealt elaborately on intrinsic

gravitation as a physical layer of genetic expression from mass, torque, and repeatability from RNA dynamics to development. It explores a novel theory that molecular mass, density-driven torque, and gravitational forces, rather than solely chemical signals, govern RNA dynamics, DNA packaging, and developmental repeatability. It parallels biological organization with stellar phenomena. (Bhattacharjee and Shaptadvipa, 2026). In the present article, discussion on genetics has been deliberately overlooked.

## 10. Yield-Components Compensation as Structural Balancing Under Constraint, Like Earth System

Earth, a gravitating body is not round. There is seafloor (depression, subduction zone), mountain (elevation), continental plate, heat-mediated rising magma, convection current, and so on. Compensatory action due to compression of intrinsic gravity is prominent in the geomorphology of the Earth system. In partitioning of photosynthates, rice crop exhibits similar partitioning: say higher number of tillers per plant is associated with decrease in the length of panicles or number of grains per panicle or decrease in individual grain size and weight. Classical agronomy interprets these trade-offs through resource allocation and sinks limitation, but a constraint framing highlights a complementary view: total reproductive mass is bounded by transport capacity, mechanical support capacity, and the requirement to maintain coherent gradients while biomass is redistributed into sinks. Therefore, compensation among yield components can be interpreted as a stabilization strategy that maintains reproductive output within the plant's transport and support limits. Yield trade-offs reflect transport capacity, mechanical stabilization, and coherent gradient maintenance.

When one component increases, the plant may reduce another to preserve coherent transport and avoid destabilizing the system, especially under high sink load where vascular supply, stem support, and lodging risk intersect. This interpretation does not deny genetic control or biochemical signalling; it suggests that the resulting phenotype reflects negotiation between regulation and constraint.

### 10.1 Structural Balancing Under Constraint, Like Earth System Yield-Components Compensation

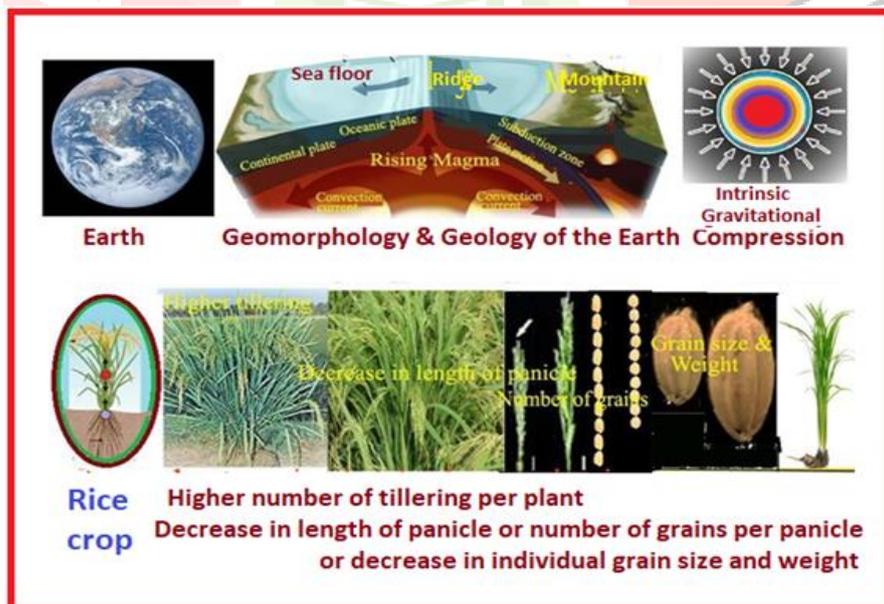


Figure 12. Effect of universal constraint or Mass-dependent stabilization limits resembling as a compensatory action in geomorphology of Earth system and grain yield component in crop plant system.

## 11. Age-Dependent Decline in Relative Growth Rate across biological and stellar systems

Both plant systems and stellar bodies exhibit a universal decline in relative growth rate with increasing age and accumulated mass. In plants, increasing biomass imposes rising mechanical stabilization, transport resistance, and maintenance respiration costs, progressively limiting further proportional expansion. In stars, increasing core density enhances gravitational confinement while radiative loss and fuel redistribution constrain continued luminosity-driven expansion.

Across scales, the shared structural grammar is: **Mass accumulation** → **Internal loading** → **Gradient intensification** → **Stabilization** → **Relative growth decline**.

Although the energetic engines differ (metabolic in plants, nuclear in stars), the architectural constraint imposed by increasing mass governs the trajectory. The decline in relative growth rate therefore reflects increasing stabilization cost and transport resistance as biomass accumulates.

### 11.1 Age-Dependent Decline in Relative Growth Rate in Plants

Plant growth commonly follows a sigmoidal trajectory in which the percentage increase in growth declines with age, even under non-limiting resource conditions. While metabolic explanations invoke reduced meristematic activity or hormonal changes, these do not fully account for the universality of this pattern.

#### 11.1.1 Relative growth rate in plants

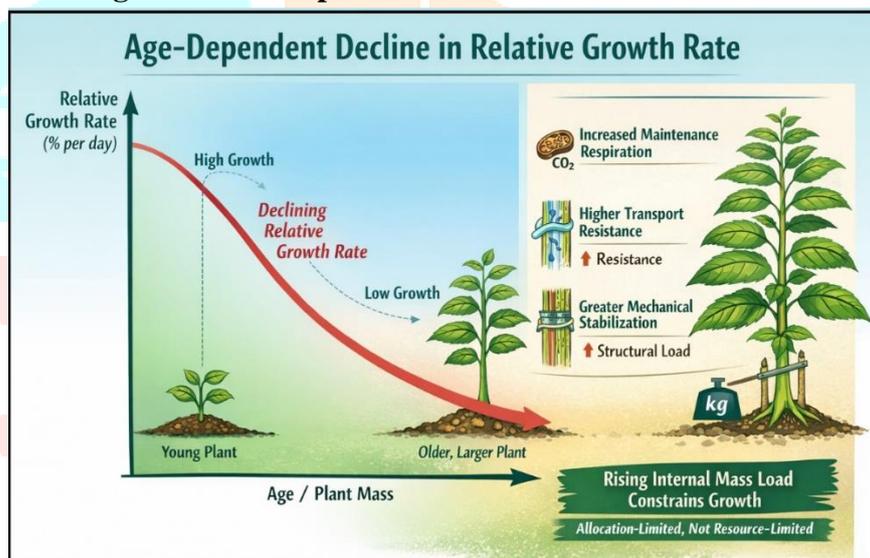


Figure 13. Age-dependent decline in relative growth rate in plants. Plant growth follows a sigmoidal trajectory in which relative growth rate (RGR) declines with increasing age and mass. As structural biomass accumulates, maintenance respiration, hydraulic transport resistance, and mechanical stabilization costs rise disproportionately. Growth progressively shifts from resource-limited to allocation-limited, reflecting increasing internal mass load under gravitational constraint.

As plant mass increases, maintenance respiration, transport resistance, and mechanical stabilization costs rise disproportionately. Intrinsic gravitation interprets the decline in relative growth rate as a consequence of increasing internal mass load, which progressively constrains further expansion. Growth therefore becomes increasingly allocation-limited rather than resource-limited, reflecting the energetic and mechanical demands of sustaining a larger, denser structure.

### 11.1.2 Relative growth rate in stars

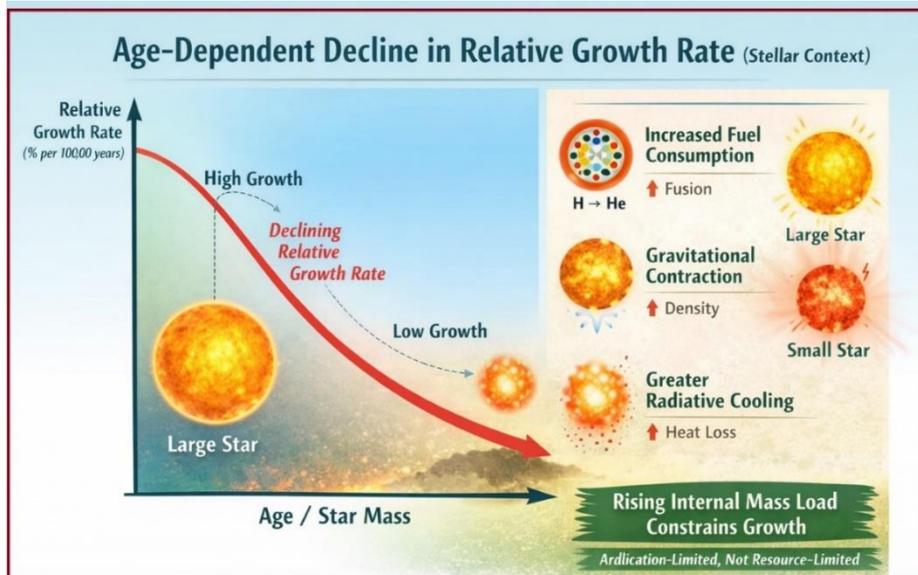


Figure 14. Age-dependent decline in relative growth rate in stars. Stellar systems exhibit declining relative growth in luminosity and structural expansion as mass accumulates and fuel is consumed. Increasing internal density enhances gravitational confinement, while radiative losses and fuel depletion constrain further expansion. The decline reflects stabilization under mass-dependent gravitational loading rather than simple resource limitation.

## 12. Conclusion

Intrinsic gravitation, reformulated as a mass-dependent structural constraint, provides a unifying architectural framework for plant growth, transport, allocation, spacing, and yield formation. Gravity is not presented as a biochemical driver but as a persistent boundary condition under which metabolic processes must operate.

Across scales, mass accumulation within bounded domains generates gradients that require stabilization. Plants negotiate these stabilization demands through hydraulic coherence, mechanical reinforcement, and allocation adjustment.

The framework proposes architectural continuity across astrophysical, geophysical, and biological systems while explicitly rejecting energetic equivalence between them.

Future empirical work should test whether pressure-state modulation, conduit geometry adjustment, and allocation shifts correlate quantitatively with mass-loading transitions under gravitational constraint.

**Dedications:** The author dedicates the article in fond memory and gratitude to his alma matters viz. Indian Agricultural Research Institute, New Delhi, the natal place of shaping such revolutionary concept and Assam Agricultural University, Jorhat, India, the primary. level knowledge hub and subsistence.

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