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Study Of Test For Significance Of Pearson's Correlation Coefficient

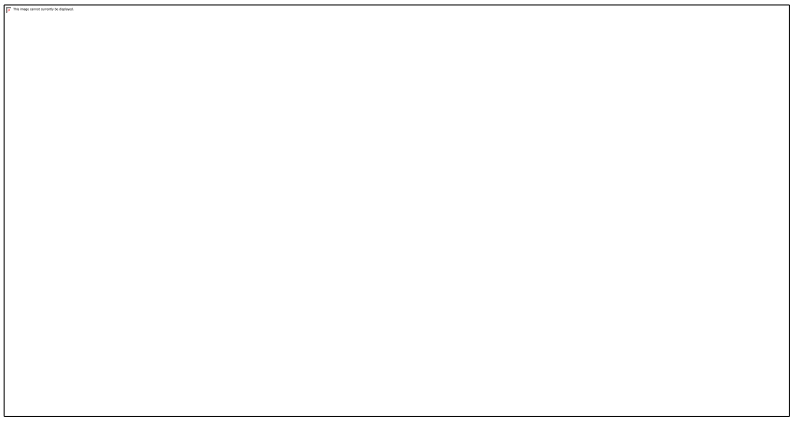
Dasari Satyanarayana
Associate Professor,
Department of Commerce,
B V RAJU COLLEGE,BHIMAVARAM.
West Godavari Dt. Andhra Pradesh,INDIA

ABSTRACT: This paper investigated te experiment of significance of Pearson‟s correlation coefficient. It provided an in-depth judgment of different methods of testing for the significance of Pearson's correlation coefficient, as it is commonly called. The t-distribution, Fisher‟s z-transformation, and the Statistical Package for Social Sciences (SPSS) were engaged. It was accomplished that each of the methods provided superior enough test for significance of correlation coefficients, which brings to rest the contrasting views that the SPSS does not provide a test for significance of correlation coefficient. The SPSS was recommended ahead of the t-distribution and z transformation due to its easy, robust, and wide applications. Researchers and academics were charged to expose their mentees to this great scientific discovery,

Keywords: Pearson's correlation coefficient t-distrubution.

Inroduction:

In statistics the Pearson's correlation coefficient referred to as Pearson's *r*, the Pearson product-moment correlation coefficient (PPMCC), or the bivariate correlation is a measure of linear correlation between two sets of data. It is the covariance of two variables, divided by the product of their standard deviation; thus it is fundamentally a normalized measurement of the covariance, such that the result always has a value between −1 and 1. As with covariance itself, the measure can only reflect a linear correlation of variables, and ignores many other types of relationship or correlation. As a simple example, one would expect the age and height of a sample of teenagers from a college to have a Pearson correlation coefficient significantly greater than 0, but less than 1 (as 1 would represent an idealistically perfect correlation)..



Examples of scatter diagrams with different values of correlation coefficient (ρ)

Pearson's Product Moment Correlation (r)

The Pearson‟s product Moment Correlation coefficient is a measure of the strength and direction of association that exists between two variables measured on at least an interval scale. A Pearson‟s correlation attempts to draw a line of best fit through the data of two variables, and the Pearson‟s correlation coefficient, r, indicates how far away all these data points are from this line of best fit.

When the Pearson‟s correlation is to be used, one must make necessary checks to ensure that the Pearson‟s correlation is the appropriate statistic. The way to do this is to ensure the following four assumptions are passed:

1. The two variables must be measured at the interval or ratio scale.

2. There is a linear relationship between the two variables.

3. There should be no significant outliers. Outliers are single data points within your data that do not follow the usual pattern.

4. The data should be approximately normally distributed.

Computing the Pearson's

Given the bivariate set $(x_1, y_1), (x_2, y_2), \ldots, (x_n, y_n)$, the Pearson‟s Product Moment Correlation Coefficient (r) is defined as 

Where  =Pearson's Product Moment Correlation Coefficient

Sxy = Covariance of x and y values

and Sx and Sy = Standard deviations of x and y values respectively

Given the above relationship, the Pearson‟s Product Moment Correlation Coefficient (r) can be written as

where r = Pearson's Product Moment Correlation Coefficient

N = Number of pairs of values or scores

 = Sum of the products of x and y

 = Mean of the x values

 = Mean of the y values

 = Product of the mean values of x and y

 = Sum of squares of x values

 = Sum of squares of y values

With the above equations of the Pearson"s Product Moment Correlation Coefficient (r) a better computational equation can be written thus:

Where r = peaeson's product Moment Correlation Coefficient

N = Mumber of pairs of values

 Sum of the product of x and y

 sum of the values of x

 sum of the values of y

 Sum of the squares of x values

 Sum of the squares of y values

 Squares of sum of x values

 Squares of sum of y values

Using the distribution of Economics and Commerce scores of B.Com students of B.V.Raju College

(i) Compute the Pearson‟s Product Moment Correlation Coefficient (r),

(ii) Interpret your result, and

Economics and Commerce scores of B.Com students of B V RAJU College

Economics	60	70	50	65	46	82	85	66	39	45
Commerce	80	82	68	45	58	63	90	74	62	80

(i)

Economics(x)	**Commerce(y)**	**xy**		
60	80	4800	3600	6400
70	82	5740	4900	6724
50	68	3400	2500	4624
65	45	2925	4225	2025
46	58	2668	2116	3364
82	63	5166	6724	3969
85	90	7650	7225	8100
66	74	4884	4356	5476
39	62	2418	1521	3844
45	80	3600	2025	6400
$\sum x$ =608	$\sum y$ =702	 43251		$\sum y^2$ = 50926

Pearson‟s Product Moment Correlation Coefficient (r)= 0.29

(ii) A positive correlation coefficient of 0.58 implies that Economics and Commerce are positively related. In other words, a student who scores highly in Economics is likely to score highly in Commerce and vice versa.

Purpose of the Paper

The purpose of this position paper is to show that test of significance of Pearson‟s correlation coefficient is not only possible with the t-distribution and z-transformation, but that the Statistical Package for Social Sciences (SPSS) perfectly does this with utmost ease and accuracy.

Results

Test for the significance of relationships between two continuous variables

Person's correlation dealings the potency of a relationship between two variables. Even though in research any relationship should be assessed for the significance in addition to its strength. The strength of a relationship is indicated by the correlation coefficient r**,** but in reality measured by the coefficient of determination  The significance of the relationship is expressed in probability levels **p**. The values of **p** tells how improbable a given correlation r will arise given that no relationship exists in the population. It must be noted that larger the correlation **,** the stronger the relationship, where a smaller **p**-level indicates more significant relationship

In testing for the significance of correlation coefficient **,** some assumptions are essential**.** First, let us assume that r

is the correlation between two variables x and y in a given sample and that ρ is the correlation between the same two variables x and y in the population. In correlation analysis, this means the null hypothesis that there is no significance relationship between x and y in the sample.

The Test of significance of correlation coefficient $\boldsymbol{r}$ **e**mployed one method in this paper i.e t-distribution.

The t-distribution formula for calculating the approximate t-value to test the significance of correlation coefficient $r$is given by

Where **t = t**-value required for the test of significance of the correlation coefficient **r**

n = sample size

r = the computed correlation coefficient being tested for significance.

Let us employ the data in below table heights (in metres) and weights (in kilogramme) of some Foot ball Players to discuss the test of significance of correlation coefficient using the t-distribution, The null hypothesis tested was that "**there is no significant relationship between heights and weights of Foot ball Players"**

Players	Heights(x) inches	Weights(y) k.gs
1	5.6	60
2	5.0	55
3	5.2	52
4	6.0	65
5	4.9	50
6	5.1	53
7	5.3	54
8	5.4	56

Using t-distribution

First, Pearson‟s Product Moment Correlation coefficient r was computed using the formula

 = 0.93

Second, the computed 0.93 was transformed to the t-distribution using the formula

 6.19

Third , the degrees of freedom(df) was found : at 0.95% , df=n-2=6

Fourth , the critical value table for t at 8 d .o.f = 1.943

t-value is greater than the table value. So we reject the null hypothesis. In other words

“there is significant relationship between heights and weights of Foot ball Players”

CONCLUSION

This paper has shown that the test of significance of correlation coefficients is very export in research because the degree of relationship alone is not sufficient to bring to a close that a computed correlation coefficient is adequate. It further exposed that one of the method of test of significance i.e t-distribution provided good sufficient test for significance of correlation coefficients

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