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INNOVATIVE TEACHING OF PROBABILITY

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ABSTRACT

Probability is one of the fastest growing and important subject in statistical mathematics current paper deals with the basic and brief introduction to probability through random experiment and trials including few example

INTRODUCTION

Concept of probability is from time unknown in human civilization .Laplace pascaletc gave then mathematical interpretation which is growing very fast

The theory of probability provides mathematical model for “real world phenomena” involving games and chance such as tossing of a coin or a dice etc

Random experiment

Probability has additive property and frequency interpretation To deal with these properties of probability situations we need a mathematical description or model any such as “random experiment”

NOTATION:

- (1) Tossing of a coin or dice
- (2) Taking a card from a pack of 52 cards

Trial

Each performance in a random experiment is called a trial all the trials are conducted under the same set of conditions

Example:-1

Tossing of coin one time gives $S = \{H,T\}$
totality of all the possible outcome

where S is

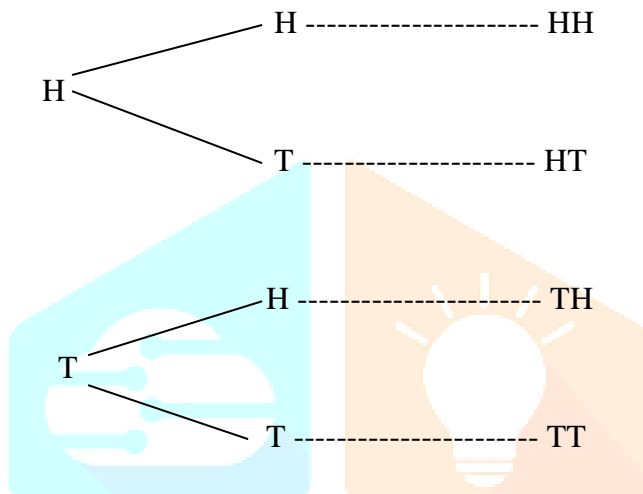
i.e sample space:

its tossing two time gives

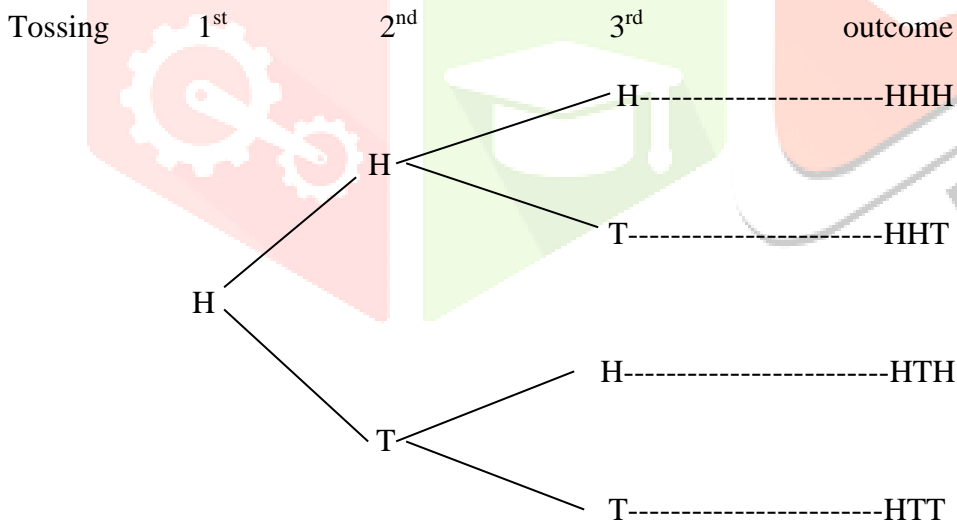
$S = \{HH,HT,TH,TT\}$ where H is Head & T is tail

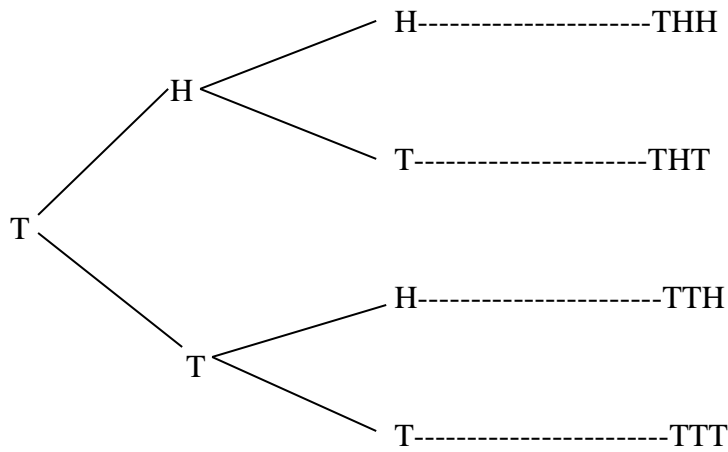
The three diagram of outcome in tossing

Tossing 1st 2nd outcome



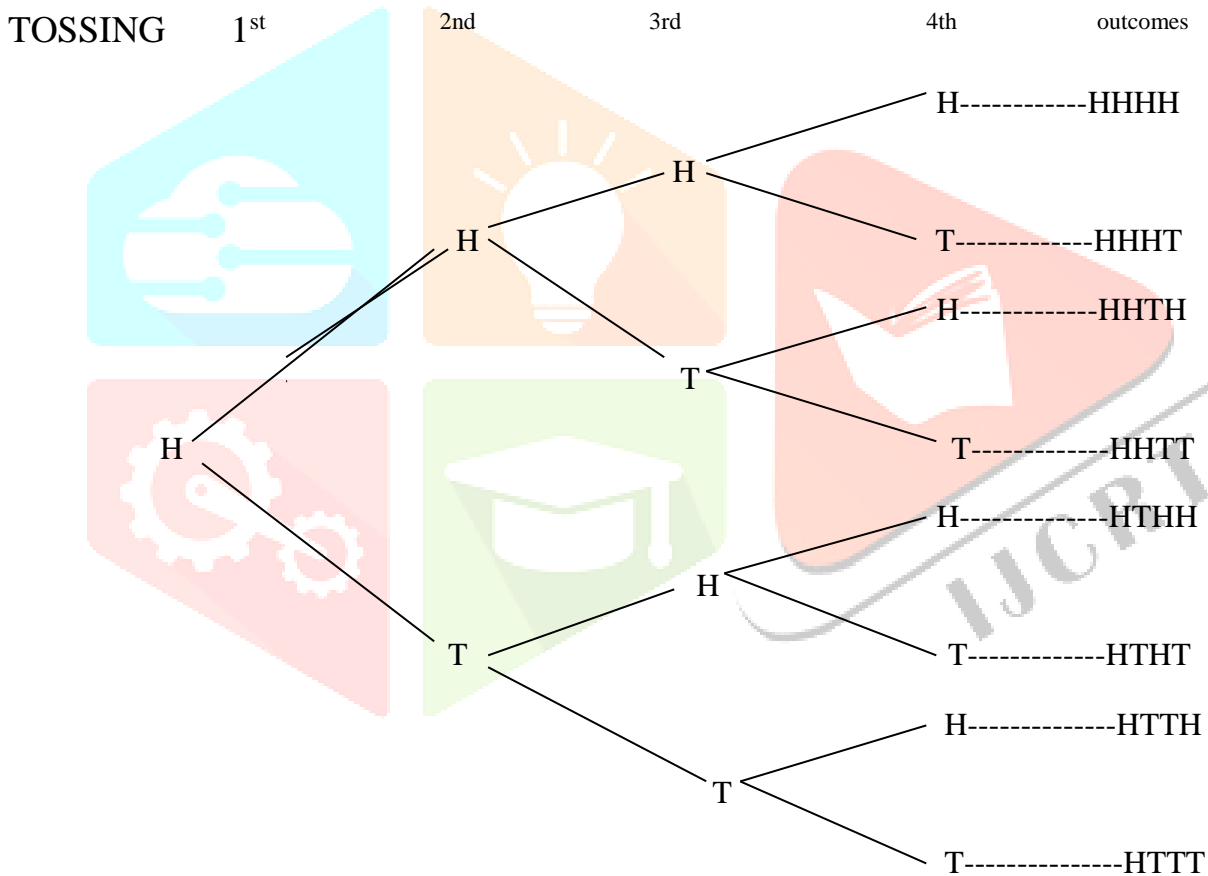
its tossing three time gives

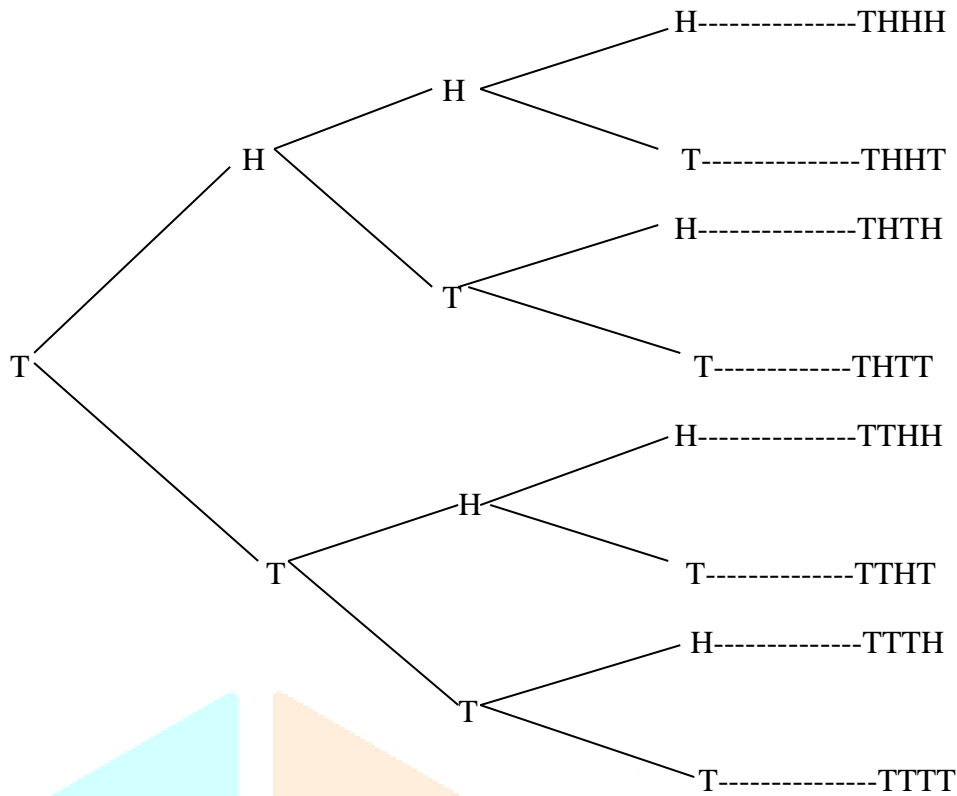




$S = \{HHH, HHT, HTH, HTT, THH, THT, TTH, TTT\}$

Its tossing 4 times gives





$S = \{HHHH, HHHT, HHTH, HHTT, HTHH, HTHT, HTTH, HTTT, THHH, THHT, THTH, THTT, TTHH, TTHT, TTTH, TTTT\}$

• FINITE PROBABILITY SPACE

Let sample space S be finite $S = \{a_1, a_2, \dots, a_n\}$

Where a_1, a_2, \dots, a_n are elementary event

Let $p(a_i) = p_i \in [0,1]$ $i \in \{1,2,\dots,n\}$

(i) $p_i \geq 0$ (ii) $p_1 + p_2 + \dots + p_n = 1$

then p_i is called probability of a_i for $A \subset S$ $P(A) = \sum_{a_i \in A} p_i$ $P(a_i) = \sum_{a_i \in A} p_i$

where $p(A)$ is called probability of event A

thus the distribution of probability w.r.t be outcomes of s is a follows

outcomes	a_1	a_2	a_n
probability	p_1	p_2	p_n

this is called probability distribution

$P(A) = \text{number of elements of } A / \text{number of elements of } S$

$= n(A)/n(S)$

from eg1 the probability of getting head and tail alternatingly on tossing the coin 3 times and 4 times is given below

TOSSING OF COIN	S	n(S)	A	n(A)	$P(A)=n(A)/n(S)$
One time	{H,T}	2	-	-	-
Two time	{HH,HT,TH,TT}	4	-	-	-
Three time	{HHH,HHT,HTH,HTT, THT,THH,TTT}	8	{HTH, THT}	2	$2/8=0.25$
Fourth time	{HHHH,HHHT,HHTT,HHTH,HTHH HTTH,HTTT,HTHT,THHH,THHT, THTH,THTT,TTHH,TTHT,TTTH, TTTT}	16	{HTHT, THTH}	2	$2/16=0.125$

CONCLUSION

The theory of probability contrives mathematical portrate for real world phenomena involving game and chances

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