



When we combine "Theory of Relativity" with "Quantum mechanics" It can be shown that our Universe is energetically finite.

$$\Delta x \cdot \Delta p \geq \frac{h}{4\pi}$$

$$\text{or } \Delta x \cdot \Delta p = \frac{h}{4\pi} \cdot \frac{\Delta S}{\Delta S} \\ = \frac{h}{2\pi} \frac{T}{2E} \Delta S$$

(Here  $E = \frac{1}{2} N k_b T$ , if  $N=1$  then  $E = \frac{1}{2} k_b T$ .)

$$\text{or } \frac{\Delta x \cdot \Delta p \cdot 2\pi \cdot k_b}{h} = \Delta S$$

$$\text{or } \frac{\Delta x \cdot \Delta p \cdot 2\pi k_b}{h} = \frac{hc}{\lambda T} \left\{ 1 - \left( 1 - \frac{v^2}{c^2} \right)^{1/2} \right\}$$

(From eq (1))

Here,  $(\lambda T = b = \text{Weins constant})$

Hence,

$$\boxed{\frac{\Delta x \cdot \Delta p \cdot 2\pi k_b}{h} = \frac{hc}{\lambda T} \left\{ 1 - \left( 1 - \frac{v^2}{c^2} \right)^{1/2} \right\}}$$

If  $v=c$ , then.

$$\boxed{\frac{\Delta x \cdot mc \cdot 2\pi k_b}{h} = \frac{hc}{\lambda T} = \Delta S}$$

Here,

$$mc = \text{momentum of boson.}$$

$$\frac{h}{\lambda} = \text{momentum of photon.}$$

Above equation combines theory of quantum mechanics with theory of relativity to explain Planck's Curve in the form of entropy change.

Again,

$$\Delta G = T \Delta S + S \Delta T.$$

For black body,  $\Delta G = 0.$

$$T \Delta S = -S \Delta T.$$

Free energy changes of Photon = - Free energy changes of boson